

Determine the nitrate contributions to Wakulla Springs during the reverse flow scenario where Spring Creek flows to Wakulla Springs

The calculations below by Mr. John Folks (FAMU) were developed to calculate an estimate in terms of nitrogen to the above question. They are based on the flows provided in the Lombardo Report for two scenarios: Scenario 1 (More frequent situation where flows to Wakulla Springs do not contain contributions from Spring Creek flows) and Scenario 2 (Less frequent situation, where reversal in flows from Spring Creek causes northerly ground water flows towards Wakulla Springs, and contribute nitrogen contributions to the normal Wakulla Springs flows).

Wakulla Springs N loading:

Base flow of 300cfs - Scenario 1 (Lombardo report)

Additional 500cfs added in a Scenario 2 (Lombardo report)

Max. flow both scenarios = 800cfs

What would be the concentration of the 500cfs necessary to produce a concentration of .5mg/l at 800 cfs, when you have an initial flow of 300cfs with an N concentration at .7mg/l?

$N_1 = .7$ N conc. at 300 cfs

$N_2 = ?$ Unknown N conc. of the extra 500 cfs

$N_3 = .5$ N conc. of the combined 800 cfs

$Q_1 = 300$ cfs Initial Flow - scenario 1

$Q_2 = 500$ cfs Extra Flow due to Scenario 2

$Q_3 = 800$ cfs Net Flow

Governing equation

$$Q_3 \times N_3 = Q_1 \times N_1 + Q_2 \times N_2$$

Solve for N_2

$$N_2 = (Q_3 \times N_3 - Q_1 \times N_1) / Q_2 = (800 \times .5 - 300 \times .7) / 500 = 0.38 \text{ mg/l}$$

$N_2 = 0.38 \text{ mg/l}$

What would be the load for both the initial event-Scenario 1 and the extra flow-Scenario 2?

For the stated problem, you can only get a loading rate, i.e. load per unit time, where Loading rate = Conc. x Flow, since we didn't have a time interval.

Now, let's get the units correct with flow in cfs and concentration in mg/l. It's easy to go directly to (lbs / unit time) because mg/l is the same as ppm:

$$\text{Loading Rate (lbs/sec)} = \text{Conc. (mg/l or ppm)} \times \text{Flow (cfs)} \times 62.4 \text{ lbs/cf} \times (1 \text{ lbs} / 1,000,000 \text{ lbs})$$

$$\text{For Q1 Loading Rate} = .7 \times 300 \times 62.4 \times (1 / 1,000,000) = 0.0131 \text{ lbs/sec or } 1,132 \text{ lbs/day} \\ (0.031 \text{ lbs/sec} \times 86400 \text{ sec/day})$$

$$\text{For Q2 Loading Rate} = .38 \times 500 \times 62.4 \times (1 / 1,000,000) = 0.0118 \text{ lbs/sec or } 1,025 \text{ lbs/day}$$

$$\text{For Q3 Loading Rate} = .5 \times 800 \times 62.4 \times (1 / 1,000,000) = 0.025 \text{ lbs/sec or } 2,157 \text{ lbs/day}$$

Metric is a little trickier,

$$\text{Loading Rate (kg/sec)} = \text{Conc. (mg/l)} \times \text{Flow (cfs)} \times 0.0283 \text{ (cubic meters/cf)} \times 1000 \text{ (liters/cubic meter)} / 1000000 \text{ (mg/kg)}$$

$$\text{For Q1 Loading Rate} = .7 \times 300 \times 0.0283 / 1000 = 0.0059 \text{ kg/sec or } 510 \text{ kg/day} \\ (0.0059 \text{ kg/sec} \times 86400 \text{ sec/day})$$

$$\text{For Q2 Loading rate} = .38 \times 500 \times 0.0283 / 1000 = 0.0054 \text{ kg/sec or } 468 \text{ kg/day}$$

$$\text{For Q3 Loading Rate} = .5 \times 800 \times 0.0283 / 1000 = 0.0113 \text{ kg/sec or } 978 \text{ kg/day}$$

Please contact Steve Cioccia for questions on the above.